

2-2014

APPLYING NEWTON'S LAWS OF MOTION

START WITH A PICTURE OF THE OBJECT OF INTEREST. IDENTIFY THE FORCES THAT ACT ON THE OBJECT. ADD UP THE FORCES KEEPING THEIR DIRECTION IN MIND. THIS IS THE NET FORCE THAT CAUSES ACCELERATION.
ACCEL $\rightarrow$ VELOCITY $\rightarrow$ POSITION OVER TIME.

EXAMPLE: DROPPED OBJECT

NEWTON'S 2nd LAW

$$\vec{F}_{\text{NET}} = m \vec{a}$$

$$mg \downarrow = ma \downarrow$$

$$\text{ACCEL.} = g = 9.8 \text{ m/s}^2 \text{ DOWN}$$



$m = \text{MASS}$

MORE MASSIVE OBJECTS EXPERIENCE MORE GRAVITATIONAL FORCE, BUT THEY ALSO HAVE MORE INERTIA.

ALL OBJECTS HAVE $a = g$

EXAMPLE: BALL ON A TABLE

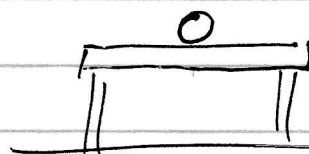
$$F_{\text{TABLE ON BALL}} = ?$$

$$\vec{F}_{\text{NET}} = m \vec{a}$$

$$-mg + F_{\text{TABLE}} = 0$$

$$\boxed{F_{\text{TABLE}} = F_G}$$

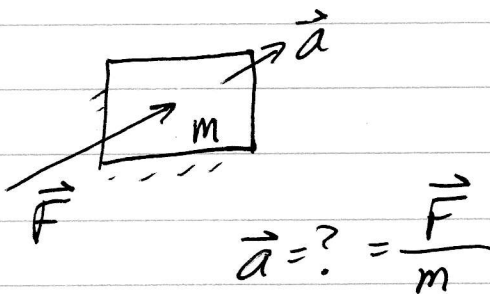
$$a = 0$$



$$\begin{array}{c} \uparrow F_{\text{TABLE}} \\ \downarrow F_G = mg \end{array}$$

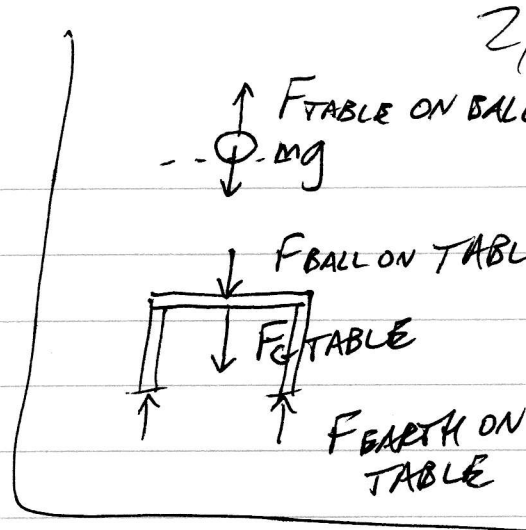
$$\uparrow +$$

EXAMPLE: BOX IN SPACE



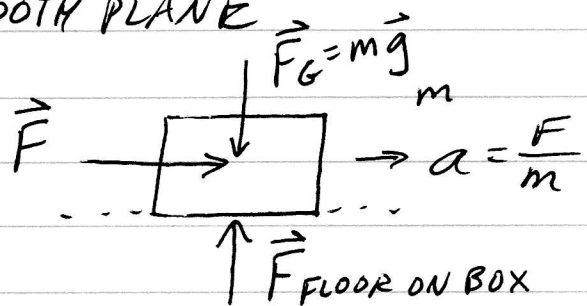
$$\vec{a} = ? = \frac{\vec{F}}{m}$$

IF F DOUBLES, a DOUBLES
IF m DOUBLES, a HALVES



EXAMPLE: BOX ON A SMOOTH PLANE

WHAT IS THE
ACCELERATION?



VERTICALLY,

$$-\vec{F}_G + \vec{F}_{\text{FLOOR}} = 0 \quad F_{\text{FLOOR}} = F_G = mg$$

HORIZONTALLY,

$$\vec{F} = m\vec{a} \quad \vec{a} = \frac{\vec{F}}{m}$$

SEPERABLE INTO VERTICAL AND HORIZONTAL MOTION

EXAMPLE:

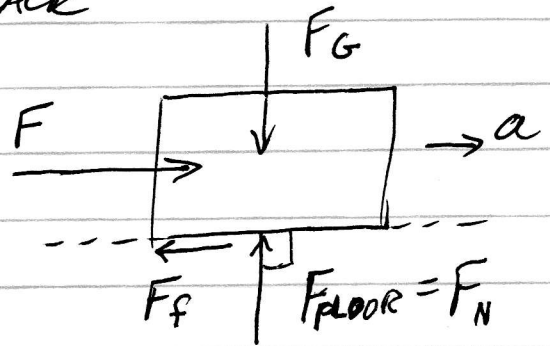
BOX ON A ROUGH SURFACE

FRICTION FORCE

ACTS ON THE BOX

OPPOSITE THE MOTION

(OR IMPENDING MOTION)



F_f IS PARALLEL TO SURFACES IN CONTACT
 $F_{\text{floor}} = F_N$ IS PERPENDICULAR OR 'NORMAL' TO SURFACES

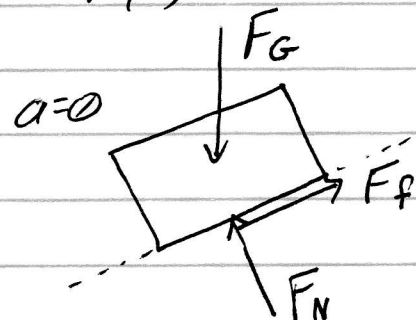
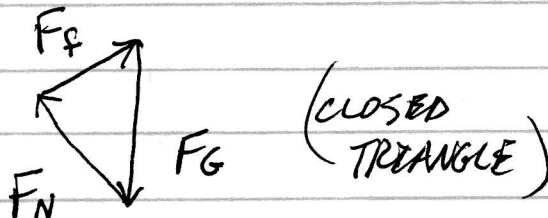
VERTICALLY, AGAIN, $F_N = F_G$ HORIZONTALLY, $F_{\text{(right)}} - F_{f \text{ LEFT}} = F_{\text{NET}} = m a$

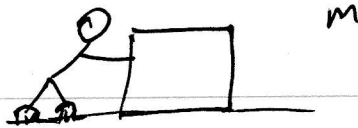
$$\text{ACCELERATION} = \frac{F - F_f}{m}$$

EXAMPLE: BOX ON A ROUGH, INCLINED PLANE
(ASSUME THE BOX IS STATIONARY)

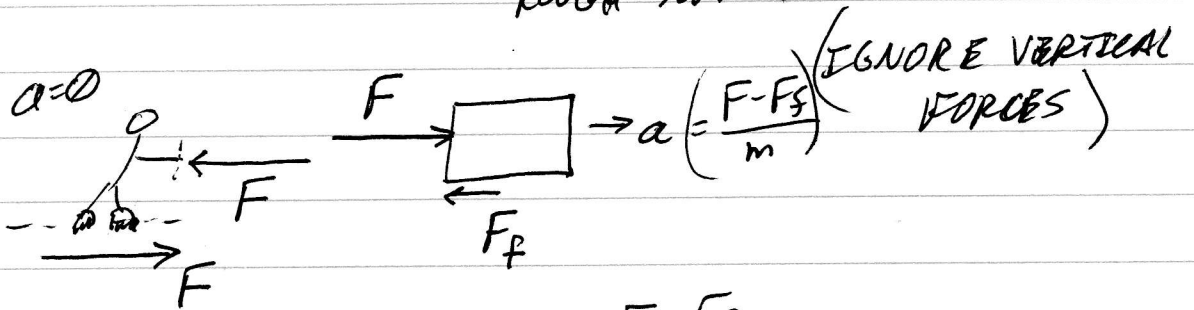
$$\vec{a} = \frac{\vec{F}_{\text{NET}}}{m} = 0$$

SUM OF ALL FORCES IS 0





ROUGH SURFACE



$$\cancel{F} \quad a = \frac{F - F_f}{m} \quad \text{OR} \quad ma = F - F_f$$

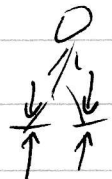
$$F = ma + F_f$$

$\underbrace{\quad}_{\text{INERTIAL FORCE}} \quad \underbrace{\quad}_{\text{FRICTION}}$

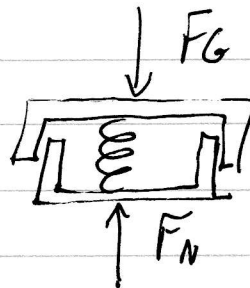
HOW DO WE SENSE WEIGHT?

WE SENSE THE NORMAL FORCE ~~AND~~ COUNTERACTING GRAVITY FORCE AS A PRESSURE

IF IN ~~AT~~ A NON-ACCELERATING FRAME, WE CALL THIS YOUR WEIGHT



TO MEASURE,
USE A SCALE



$$F_G = F_N$$

EXAMPLE: ELEVATOR

$$\text{WEIGHT} = mg$$

$$F_{\text{NET}} = ma$$

$$-mg + W_{\text{APPARENT}} = ma$$

$$W_{\text{APPARENT}} = \underbrace{ma}_{\text{DUE TO INERTIA}} + \underbrace{mg}_{\text{NORMAL WEIGHT}}$$

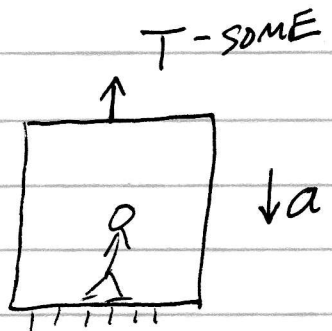
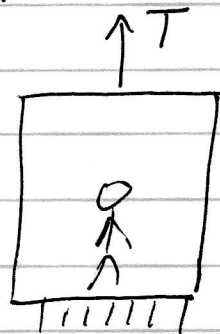
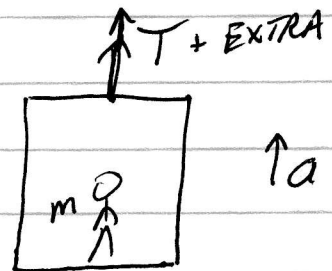
$$W_{\text{APPARENT}} = 0 + mg \text{ (NORMAL)}$$

$$W_{\text{APPARENT}} = \underbrace{m(-a)}_{\text{DUE TO INERTIA}} + \underbrace{mg}_{\text{NORMAL WEIGHT}}$$

= LESS THAN NORMAL WEIGHT



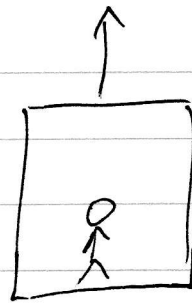
STATIONARY
 $a = 0$



EXTREME ELEVATORS

$$W_{APP} = mg + mg$$

$$= 2(mg) \quad 2 \times \text{NORMAL WEIGHT}$$



$$\uparrow a = 9.81 \text{ m/s}^2 (=g)$$

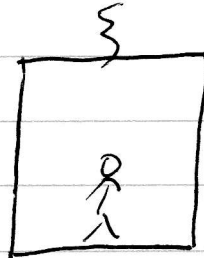
2 "GEES"

$$a = 2g \quad \text{or} \quad a = 3g$$

$$W_{APP} = 3 \text{ 'GEES'} \quad W_{APP} = 4 \text{ 'GEES'}$$

$$W_{APP} = m(-g) + mg$$

$$= \textcircled{0}$$



$$\downarrow a = 9.81 = g$$

$$W_{APP} = m(-2g) + mg$$

$$= -mg \quad \text{APPARENT WEIGHT IS UP!}$$



$$\downarrow a = 2 \times (9.81)$$